

IPRES Tutorial 10: Sampling and Confidence Intervals



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Former UvA student **Rami Sidky** detained and tortured in Egypt

- Rami **studied in Amsterdam** in 2014-2015.
- He was **friendly, open, warm and kind** and loved playing guitar.
- On 8 May 2018 he **was arrested** because of a song critical of the Egyptian president.
- A song that he **neither played, produced nor performed**.
- Remains arbitrarily detained in the notorious Tora prison for nearly 1 year now.
- Rami has no access to his lawyer.
- He has been tortured, sleeps on a concrete and dirty floor in a small cell shared with 5 others.
- His psychological and physical state is deteriorating to such an extent that **his life is now directly at risk**.
- **Please sign and share the Amnesty International petition** for his release now:

www.amnesty.nl/rami

Agenda

- 1.) Check-in and Recap
- 2.) Samples, Sampling and Sampling Issues
- 3.) Confidence Intervals
- 4.) Wrap-up and Questions

Check-in (also Google doc)



Where we are

Part 2:

- Prerequisites of quantitative research: Experiments and comparative case studies (**Tutorial 7**)
- Descriptive Statistics I: LoM and data hands-on (**Tutorials 8**)
- Descriptive Statistics II: Spreads (**Tutorial 9**)
- Sampling and Confidence Intervals (**Tutorial 10**)
- Inferential Statistics (**Tutorial 11**)
- Limits of numbers and ethics/assignment prep. (**Tutorial 12**)

Recap

Last week's exercise

Samples and Sampling



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- What is sampling again?
 - why do we sample?
- Types of sampling?
- Types of sampling error?

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**Check slides no. 11-19 from Tutorial
6!**

Central Limit Theorem (important)

- Distribution of sample means \approx normal distribution (BUT: Less variability than samples!)
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 - why “error”?
 - be aware: SD = SD of *population*!

Central Limit Theorem (important)

- Why do you need this?
 - Testing whether your sample mean is different due to chance or not
 - Foundation of inferential statistics
- How? —→ Exercise

In-class exercise

- We know that students have a mean disposable income of 1000 Euros per month. Standard deviation is 150.
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 - **Check area under the curve for Z-score: it is 0.49086**
 - **Calculate $0.5 - 0.49086 = 0.00914 = 0.9\%$ probability of chance - you are filthy rich!**

More exercises: Handout

First: on your own

Then: in pairs or more

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- Standard: 95%-confidence interval (i.e. reducing the chance of error to 5%)

$$95\% CI = \text{sample mean} - \left(1.96 \times \frac{SD}{\sqrt{n}}\right)$$

Wrap-up

- What we did *not* do today:
 - Talk in-depth about different types of sampling - Learn it from the book and Tutorial 6
 - Use t-tables in addition to normal tables - Same logic, just for non-normal distributions
 - Looked at proportions in addition to means - Same logic, just for categorical variables
 - Used Excel - Your task to exercise at home, also for next week
 - **Everything else that is left in the lecture and book, so check it!**

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